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- 3808 Ultra Very Dark Turquoise
- 936 Very Dark Avocado Green
- 3362 Dark Pine Green
- 890 Ultra Dark Pistachio Green
- 924 Very Dark Gray Green
- 844 Ultra Dark Beaver Gray
- 806 Dark Peacock Blue
- 930 Dark Antique Blue
- 3809 Very Dark Turquoise
- 646 Dark Beaver Gray
- 341 Light Blue Violet
- 518 Light Wedgewood
- 632 Ultra Very Dark Desert Sand
- 610 Dark Drab Brown
- 921 Copper
- 3740 Dark Antique Violet
- 3012 Medium Khaki Green
- 3045 Dark Yellow Beige
- 932 Light Antique Blue
- 522 Fern Green
- 642 Dark Beige Gray
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- 3023 Light Brown Gray
- 3856 Ultra Very Light Mahogany
- 318 Light Steel Gray
- 644 Medium Beige Gray

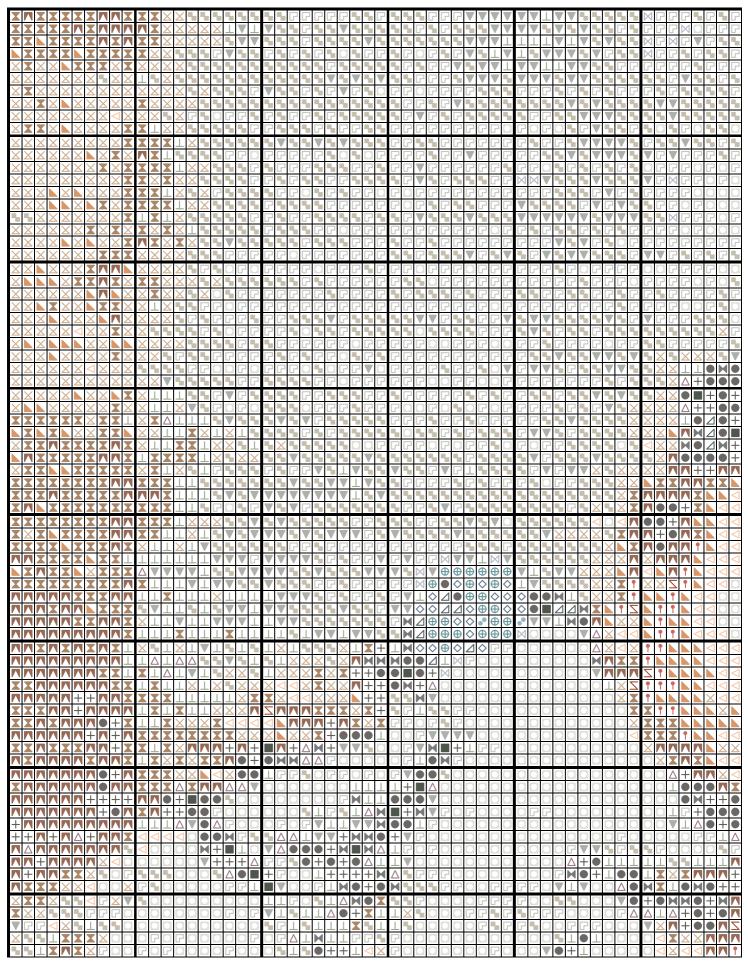
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